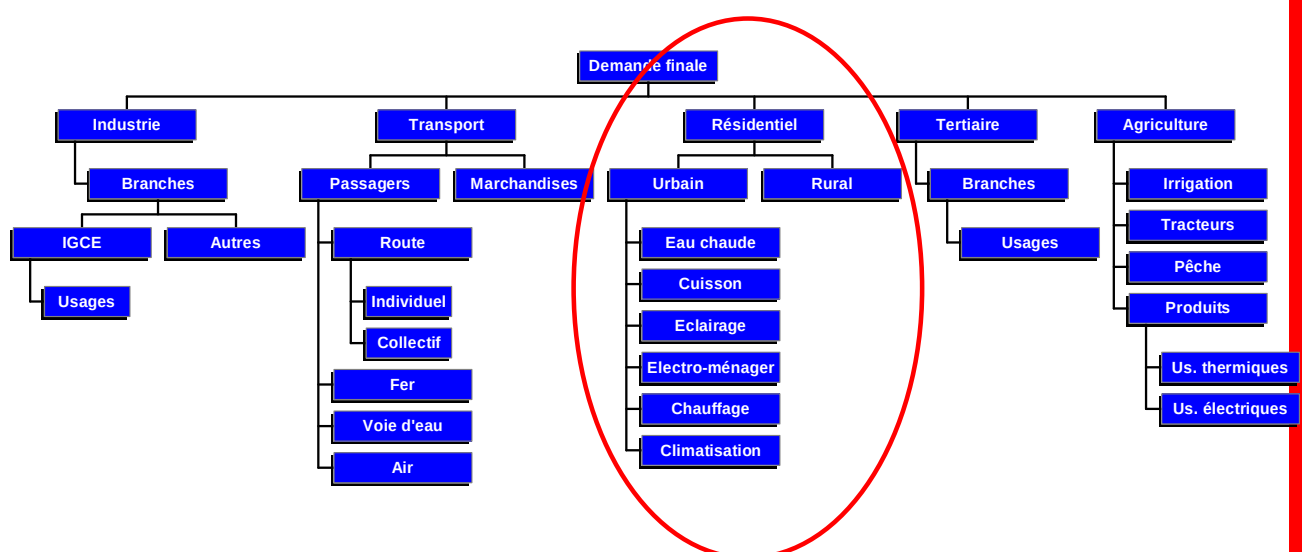


# Evaluation of Medium/Long term Energy Efficiency Potentials

## Case studies on end-use models

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### Techno-economic (end-use) models: general architecture



## Modelling energy demand for households : global approach vs by end-use / equipment

└ Global approach

-fuels

-electricity

└ Approach by end-use / equipment

-cooking

-water heating

-heating

-captive uses of electricity ( lighting, household appliances)

## Modelling energy demand for households : global approach

└ Demand : unit consumption x number of households

└ unit consumption of fuel (toe/household)

└ unit consumption of electricity (kWh/electrified household)

==└ Advantages: simplicity (data, implementation)

==└ Limits: difficulty to simulate substitutions (cooking, space heating), and to account for energy savings

## Modelling energy demand for households : detailed approach by end-use / equipment

- Captive uses
  - ↳ lighting
  - ↳ electrical appliances by type
- Substitutable Uses
  - ↳ cooking
  - ↳ water heating
  - ↳ heating

## Modelling energy demand for households : detailed approach : lighting and electrical appliances

### Basic equation

$$E_e = MEN \times TEQ_e \times CUE$$

$$E = \sum E_e$$

with:

e: Type of equipment

MEN: Number of households

TEQ: Rate of equipment ownership (% of households with equipment e)

CU : Unit consumption (kWh/year)

====> Choice of the level of disaggregation

e= 1, 2 .... 5 ?? (Refrigerators, Freezers, TV, Dish-Washer ...)

## Case Study 1 : Exercise 1

| Mtoe                  | LPG                                | Oil                                                 | Gas                                 | Electricity                                                       | Wood                      | Total |
|-----------------------|------------------------------------|-----------------------------------------------------|-------------------------------------|-------------------------------------------------------------------|---------------------------|-------|
| Heating/<br>hot water |                                    | $0.3 \times 30 = 9$                                 | $0.37 \times 30 = 11.1$             | $0.1 \times 30 = 3$                                               | $30 - 9 - 11.1 - 3 = 6.9$ | 30.00 |
| Cooking               | $0.41 \times 24 \times 0.1 = 0.98$ |                                                     | $0.28 \times 24 \times 0.15 = 1.01$ | $0.31 \times 24 \times 0.11 = 0.82$                               |                           | 2.81  |
| Lighting              |                                    | $120 \times 0.8 \times 0.3 \times 24 / 1000 = 0.69$ |                                     | $0.7 \times 24 \times (400 \times 0.086) / 1000 = 0.58$           |                           | 1.27  |
| Refr.                 |                                    |                                                     |                                     | $500 \times 24 \times 0.7 \times 0.95 \times 0.086 / 1000 = 0.69$ |                           | 0.69  |
| TV                    |                                    |                                                     |                                     | $100 \times 24 \times 0.7 \times 0.9 \times 0.086 / 1000 = 0.13$  |                           | 0.13  |
| Others                |                                    |                                                     |                                     | $8 - 3 - 0.82 - 0.69 - 0.13 = 2.79$                               |                           | 2.79  |
| Total                 | 0.98                               | 9.69                                                | 12.11                               | 8                                                                 | 6.9                       | 37.68 |

## Case Study 1 : Exercise 2 (Ass 1)

**Assumption 1: the electricity consumption per electrified household is stable**

|                                                   | Unit   | 2000                          | 2020                                   |
|---------------------------------------------------|--------|-------------------------------|----------------------------------------|
| <b>Electricity consumption per electrified hh</b> | toe/hh | $8 / (0.70 \times 24) = 0.48$ | 0.48                                   |
| <b>Electricity consumption</b>                    | Mtoe   | 8                             | $0.48 \times (0.95 \times 30) = 13.57$ |

## Case Study 1 : Exercise 2 (Ass 2)

**Assumption 2: the electricity consumption per electrified household increase with a 0.5 elasticity to the income**

$$HH_{2020}/HH_{2000} = (30/24)^{(1/20)} = 1.12\%/year$$

$$D(GDP/HH) = 2.5 - 1.12 = 1.38\%$$

When the income per household increase by 1% , the electricity consumption per household increase by 0.5.

Here the income per household is increasing by 1.38%/year; so the electricity consumption per household is increasing by:  $1.38 \times 0.5 = 0.69\%/year$

We know that electricity consumption per electrified hh in 2000 is 0.48 toe/hh

=> the electricity consumption per electrified hh in 2020 is:  
 $0.48 \times (1+0.0069)^{20} = 0.55 \text{ toe/hh } (= > 6404 \text{ kWh})$

=> The country 's electricity consumption in 2010 is:  
 $0.55 \times (30 \times 0.95) = \mathbf{15.57 \text{ Mtoe}} (= > 144.88 \text{ TWh})$

## Case Study 1 : Exercise 3

| Urban           | Consumption in 2000 (TWh)                                                                                               |
|-----------------|-------------------------------------------------------------------------------------------------------------------------|
| Total, of which | 35 TWh                                                                                                                  |
| Lighting        | All the electrified hh use lighting<br>Cons: $11.7 \times 400 / 1000 = \mathbf{4.68 \text{ TWh}}$                       |
| TV              | Nb of hh with TV: $0.7 \times 15.6 = 10.92 \text{ M}$<br>Cons: $100 \times 10.92 / 1000 = \mathbf{1.09 \text{ TWh}}$    |
| Refrigerators   | Nb of hh with refr.: $0.7 \times 15.6 = 10.92 \text{ M}$<br>Cons: $500 \times 10.92 / 1000 = \mathbf{5.46 \text{ TWh}}$ |
| Others          | $35 - 4.68 - 1.09 - 5.46 = \mathbf{23.77 \text{ TWh}}$                                                                  |

Nb of households:

$$0.65 \times 24 = 15.6 \text{ M}$$

Nb of electrified households:

$$0.75 \times 15.6 = 11.7 \text{ M}$$

## Case Study 1 : Exercise 3

| <b>Rural</b>           | <b>Consumption in 2000(TWh)</b>                                                                        |
|------------------------|--------------------------------------------------------------------------------------------------------|
| <b>Total, of which</b> | 13.6 TWh                                                                                               |
| <b>Lighting</b>        | All the electrified hh use lighting<br>Cons: $5.04 \times 400 / 1000 = 2.016 \text{ TWh}$              |
| <b>TV</b>              | Nb of hh with TV: $0.5 \times 8.4 = 4.2 \text{ M}$<br>Cons: $100 \times 4.2 / 1000 = 0.42 \text{ TWh}$ |
| <b>Refrigerators</b>   | Nb of hh with refr.: $0.6 \times 8.4 = 5.04$<br>Cons: $300 \times 5.04 / 1000 = 1.512 \text{ TWh}$     |
| <b>Others</b>          | $13.6 - 2.016 - 0.42 - 1.512 = 9.652 \text{ TWh}$                                                      |

Nb of households:

$$0.35 \times 24 = 8.4 \text{ M}$$

Nb of electrified households:

$$0.60 \times 8.4 = 5.04 \text{ M}$$

## Case Study 1 : Exercise 4 (Ass 1)

| <b>Urban</b>           | <b>Consumption in 2020(TWh)</b>                                                                                                           |
|------------------------|-------------------------------------------------------------------------------------------------------------------------------------------|
| <b>Total, of which</b> | $10.098 + 2.347 + 11.735 + 51.29 = 75.46 \text{ TWh}$                                                                                     |
| <b>Lighting</b>        | All the electrified hh use lighting<br>Cons: $25.245 \times 400 / 1000 = 10.098 \text{ TWh}$                                              |
| <b>TV</b>              | Nb of hh with TV: $0.7 \times (1 + 0.0138)^{20} \times 25.5 = 23.47 \text{ M}$<br>Cons: $100 \times 23.47 / 1000 = 2.347 \text{ TWh}$     |
| <b>Refrigerators</b>   | Nb of hh with refr.: $0.7 \times (1 + 0.0138)^{20} \times 25.5 = 23.47 \text{ M}$<br>Cons: $500 \times 23.47 / 1000 = 11.735 \text{ TWh}$ |
| <b>Others</b>          | $23.77 / 11.7 \times 25.245 = 51.29 \text{ TWh}$                                                                                          |

Nb of households:

$$0.85 \times 30 = 25.5 \text{ M}$$

Nb of electrified households:

$$0.99 \times 25.5 = 25.245 \text{ M}$$

## Case Study 1 : Exercise 4 (Ass 2)

| Urban                  | Consumption in 2020(TWh)                                                                                                                 |
|------------------------|------------------------------------------------------------------------------------------------------------------------------------------|
| <b>Total, of which</b> | $10.098 + 3.075 + 11.735 + 51.29$<br><b>= 76.19 TWh</b>                                                                                  |
| <b>Lighting</b>        | All the electrified hh use lighting<br>Cons: $25.245 \times 400 / 1000 = 10.098 \text{ TWh}$                                             |
| <b>TV</b>              | Nb of hh with TV: $0.7 \times (1 + 0.0276)^{20 \times 25.5} = 30.075 \text{ M}$<br>Cons: $100 \times 30.075 / 1000 = 3.075 \text{ TWh}$  |
| <b>Refrigerators</b>   | Nb of hh with refr.: $0.7 \times (1 + 0.014)^{20 \times 25.5} = 23.47 \text{ M}$<br>Cons: $500 \times 23.47 / 1000 = 11.735 \text{ TWh}$ |
| <b>Others</b>          | $23.77 / 11.7 \times 25.245 = 51.29 \text{ TWh}$                                                                                         |

Nb of households:  
 $0.85 \times 30 = 25.5 \text{ M}$

Nb of electrified households:

$0.99 \times 25.5 = 25.245 \text{ M}$

## Case Study 1 : Exercise 4 (Ass 3)

| Urban                  | Consumption in 2020(TWh)                                                                                                                             |
|------------------------|------------------------------------------------------------------------------------------------------------------------------------------------------|
| <b>Total, of which</b> | $6.867 + 2.46 + 9.388 + 51.29$<br><b>= 70.000 TWh</b>                                                                                                |
| <b>Lighting</b>        | All the electrified hh use lighting<br>Cons: $(0.4 \times 25.245 \times (400 \times 0.2) + 0.6 \times 25.245 \times 400) / 1000 = 6.867 \text{ TWh}$ |
| <b>TV</b>              | Nb of hh with TV: $0.7 \times (1 + 0.0276)^{20 \times 25.5} = 30.075 \text{ M}$<br>Cons: $(100 \times 0.8) \times 30.075 / 1000 = 2.460 \text{ TWh}$ |
| <b>Refrigerators</b>   | Nb of hh with refr.: $0.7 \times (1 + 0.014)^{20 \times 25.5} = 23.47 \text{ M}$<br>Cons: $(500 \times 0.8) \times 23.47 / 1000 = 9.388 \text{ TWh}$ |
| <b>Others</b>          | $23.77 / 11.7 \times 25.245 = 51.290 \text{ TWh}$                                                                                                    |

Nb of households:  
 $0.85 \times 30 = 25.5 \text{ M}$

Nb of electrified households:

$0.99 \times 25.5 = 25.245 \text{ M}$

## Case Study 2 : Exercise 1

|                | Number of cars (NBCA)                     | Diesel demand of cars (FCCA)                                               |
|----------------|-------------------------------------------|----------------------------------------------------------------------------|
| <b>Formula</b> | $NBCA_{t+5} = NBCA_t \times (1+GRNBCA)^5$ | $FCCA_{t+5} = NBCA_{t+5} \times UCCA_t$<br>With $UCCA_t = FCCA_t / NBCA_t$ |
| <b>Unit</b>    | M                                         | Mtoe                                                                       |
| <b>2005</b>    | $4.400 \times (1+0.045)^5 = 5.483$        | $2.100 / 4.400 \times 5483 = 2.617$                                        |
| <b>2010</b>    | $5.483 \times (1+0.045)^5 = 6.833$        | $= 2.100 / 4.400 \times 6833 = 3.261$                                      |

## Case Study 2 : Exercise 2

|             | Number of cars (NBCA)                                   | Unit consumption of cars (UCCA)              | Diesel demand of cars (FCCA)                |
|-------------|---------------------------------------------------------|----------------------------------------------|---------------------------------------------|
| <b>Form</b> | $NBCA_{t+5} = NBCA_t \times (1+(GRGDP \times ELGDP))^5$ | $UCCA_{t+5} = UCCA_t \times (1+GRUCCA(t))^5$ | $FCCA_{t+5} = NBCA_{t+5} \times UCCA_{t+5}$ |
| <b>Unit</b> | M                                                       | toe                                          | Mtoe                                        |
| <b>2000</b> | 4.400                                                   | $2.100 / 4.400 = 0.48$                       |                                             |
| <b>2005</b> | $4.400 \times (1+(0.3 \times 1.5))^5 = 5.101$           | $0.48 \times (1-0.01)^5 = 0.45$              | $5.101 \times 0.45 = 2.315$                 |
| <b>2010</b> | $5.483 \times (1+(0.3 \times 1.5))^5 = 6.357$           | $0.45 \times (1-0.02)^5 = 0.41$              | $6.357 \times 0.45 = 2.608$                 |



## Case Study 2 : Exercise 3

|             | Number of cars (NBCA) | Specific consumption of cars (SCCA)                                            | Average distance driven per car (KMCA)                   | Diesel demand of cars (FCCA)                                              |
|-------------|-----------------------|--------------------------------------------------------------------------------|----------------------------------------------------------|---------------------------------------------------------------------------|
| <b>Form</b> |                       | $SCCA_t = UCCA_t / CFDS / KMCA_t$<br>$SCCA_{t+5} = SCCA_t \times (1+GRSCCA)^5$ | $KMCA_{t+5} = KMCA_t \times (1+(GRPRGS \times ELPRGS)^5$ | $FCCA_{t+5} = NBCA_{t+5} \times UCCA_{t+5} \times CFDS \times KMCA_{t+5}$ |
| <b>Unit</b> | M                     | l/100km                                                                        | km                                                       | Mtoe                                                                      |
| <b>2000</b> | 4.400                 | 0.48 / 0.88 / 8000 x 100000 = <b>6.78</b>                                      | 8000                                                     | 2.100                                                                     |
| <b>2005</b> | 5.101                 | 6.78 x (1-0,01)^5 = <b>6.45</b>                                                | 8000 x (1 + 0,01 x - 0.1)^5 = <b>7960</b>                | 6.45 x 5.101 x 0.88 x 7960 / 100000 = <b>2.304</b>                        |
| <b>2010</b> | 6.357                 | 6.45 x (1-0.02)^5 = <b>5.83</b>                                                | 7960 x (1 + 0 x -0.1)^5 = <b>7960</b>                    | 5.83 x 6.357 x 0.88 x 7960 / 100000 = <b>2.595</b>                        |

## Case Study 2 : Exercise 4

Elasticity of the number of cars to GDP:

$dNBCA/NBCAt / dGDP/GDPt$

Where  $dY/Y$  is the average yearly variation

$$(4.400/1.840)^{(1/10)} / (205474/144569)^{(1/10)} = \mathbf{1.05}$$

## Case Study 2 : Exercise 4

|      | Number of cars (NBCA)                                     | Specific consumption of cars (SCCA) | Average distance driven per car | Diesel demand of cars (FCCA)                                 |
|------|-----------------------------------------------------------|-------------------------------------|---------------------------------|--------------------------------------------------------------|
|      | $NBCA_{t+5} = NBCA_t \times (1 + (GRGDP \times ELGDP)^5)$ |                                     |                                 |                                                              |
| Unit | M                                                         | l/100km                             | km                              | Mtoe                                                         |
| 2000 | 4.400                                                     | 6.78                                | 8000                            | 2.100                                                        |
| 2005 | $4.400 \times (1 + (0.02 \times 1.05)^5) = 4.883$         | 6.45                                | 7960                            | $6.45 \times 7960 \times 5.141 \times 0.88 / 100000 = 2.205$ |
| 2010 | $5.141 \times (1 + (0.03 \times 1.05)^5) = 5.705$         | 5.83                                | 7960                            | $5.83 \times 7960 \times 6.006 \times 0.88 / 100000 = 2.329$ |

## Case Study 2 : Exercise 5

I finally took the assumption of a potential of 10% instead of 30% and I keep the data for the exploitation. These assumptions are more consistent with the reality.

|      | Number of cars (NBCA) | Specific consumption of cars (SCCA)                                   |      |                                                              |
|------|-----------------------|-----------------------------------------------------------------------|------|--------------------------------------------------------------|
|      |                       | $SCCA_{t+5} = SCCA_t \times (1 + (POTCA_{t+5} \times TEXCA_{t+5})^5)$ |      |                                                              |
| Unit | M                     | l/100km                                                               | km   | Mtoe                                                         |
| 2000 | 4.400                 | 6.78                                                                  | 8000 | 2100                                                         |
| 2005 | 5.141                 | $6.78 \times (1 + (-0.1 \times 0.2)) = 5.82$                          | 7960 | $5.82 \times 7960 \times 5.141 \times 0.88 / 100000 = 1.991$ |
| 2010 | 6.006                 | $6.45 \times (1 + (-0.1 \times 0.5)) = 4.50$                          | 7960 | $4.5 \times 7960 \times 6.006 \times 0.88 / 100000 = 1.800$  |